

Chapter: 7

- 1) If  $n$  is +ve \_\_\_\_\_ then  $1 \times n = n(n-1)(n-2) \dots 3 \cdot 2 \cdot 1$
- a- Rational Number b- Irrational Number c- Real number  d- Integer.
- 2)  $16 = \underline{\hspace{2cm}}$
- a- 120 b- 620  c- 720 d- 60
- 3)  $\frac{18}{16} = \underline{\hspace{2cm}}$
- a- 56 b- 8 c- 7 d- 16
- 4)  $\frac{1n}{n-1} = \underline{\hspace{2cm}}$  if  $n=1$ .
- a- 1 b-  $-\infty$  c-  $+\infty$  d- 0
- 5) \_\_\_\_\_ =  $6 \times 5 \times 4$
- a- 16  b-  $\frac{16}{13}$  c-  $\frac{16}{12}$  d-  $\frac{16}{15}$
- 6)  $n(n-1)(n-2) \dots (n-r+1) = \underline{\hspace{2cm}}$
- a-  $1n$  b-  $1n-r$   c-  $\frac{1n}{r}$  d-  $1n-r+1$
- 7) A triangle can be given \_\_\_\_\_ names.
- a- 1 b- 2 c- 3  d- 6
- 8)  $10 = 0! = \underline{\hspace{2cm}}$  a- 0  b- 1 c- -1 d- None
- 9)  ${}^n P_r = \underline{\hspace{2cm}}$  for  $n \geq r$  and  $n, r$  are +ve integers.
- a-  $\frac{1n}{n-r}$  b-  $\frac{1n}{1r}$  c-  $\frac{1n-r}{1r}$  d-  $\frac{1n}{1n-r}$
- 10)  $n$  different objects can be arranged taken all at a time in \_\_\_\_\_
- a-  $(n-1)!$  ways b-  $(n+1)!$  ways  c-  $n!$  ways d-  $n$  ways.
- 11)  ${}^n P_r$  exist if \_\_\_\_\_ where  $n, r$  are +ve integer.
- a-  $n \geq r$  b-  $n < r$  c-  $n \leq r$  d-  $n+r < 0$
- 12)  ${}^n P_n = \underline{\hspace{2cm}}$  a- 1 b- 0 c-  $n$   d-  $n!$
- 13)  ${}^{15} P_1 = \underline{\hspace{2cm}}$  a- 16  b- 15 c- 30 d- None
- 14)  ${}^5 P_3 = \underline{\hspace{2cm}}$  a- 15 b- 5  c- 60 d- 3
- 15)  ${}^6 P_4 = \underline{\hspace{2cm}}$  a- 360  b- 20 c- 15 d- 16
- 16)  ${}^{10} P_2 = \underline{\hspace{2cm}}$  a- 0 b- 20  c- 90 d- 80
- 17)  ${}^n P_2 = 30$  then  $n = \underline{\hspace{2cm}}$  a- 5  b- 6 c- 4 d- 3
- 18)  ${}^n P_r = \underline{\hspace{2cm}}$   ${}^{n-1} P_{r-1}$  a-  $n$   b-  $n+1$  c-  $r$  d-  $r-1$
- 19) No. of arrangements of PLANE are a- 5  b- 120 c- 60 d- 90
- 20) How many signals can be given by 5 flags when 3 used at a time?
- a- 120 b- 90 c- 30  d- 60

21)  ${}^n C_r =$  \_\_\_\_\_ for  $n, r$  being +ve integers.

- a-  $\frac{n}{r}$       b-  $\frac{n}{r} \sqrt{r}$       c-  $\frac{n}{r} \sqrt{r}$       d-  $\frac{n}{r}$

22)  ${}^n C_r =$  \_\_\_\_\_

- a-  $\frac{n-r}{r} {}^n C_{r-n}$       b-  $\frac{n-r}{r} {}^n C_r$       c-  $\frac{n+r}{r} {}^n C_{n-r}$       d-  ${}^n C_r$

23)  ${}^n C_n =$  \_\_\_\_\_

- a- 1      b- n      c- n      d- 0

24)  ${}^n C_0 =$  \_\_\_\_\_

- a- 0      b- 1      c- n      d- n

25)  ${}^n P_r =$  \_\_\_\_\_

- a-  ${}^n C_{n-r}$       b-  ${}^n C_r$       c-  $r {}^n C_r$       d-  $r {}^n C_r$

26)  ${}^{12} C_{10} =$  \_\_\_\_\_

- a- 60      b- 66      c- 120      d- 6

27)  ${}^n C_8 = {}^n C_{12}$  where  $n =$  \_\_\_\_\_

- a- 20      b- 12      c- 8      d- 10

28)  ${}^n C_r + {}^n C_{r-1} =$  \_\_\_\_\_

- a-  ${}^n C_r$       b-  ${}^n C_{r-1}$       c-  ${}^{n+1} C_{r-1}$       d-  ${}^{n+1} C_r$

29) No. of diagonals of  $n$  sided polygon are \_\_\_\_\_

- a-  ${}^n C_r$       b-  ${}^n C_2$       c-  ${}^n C_2 - r$       d-  ${}^n C_2 - n$

30)  ${}^5 C_2 =$  \_\_\_\_\_

- a- 20      b- 10      c- 15      d- 16

31)  ${}^4 C_4 =$  \_\_\_\_\_

- a- 0      b- 1      c- 4      d- 14

32) \_\_\_\_\_ =  $r! {}^n C_r$

- a-  ${}^n P_r$       b-  ${}^n C_r$       c-  ${}^n P_{r-1}$       d-  ${}^n P_{n-r}$

33) If  $S = \{1, 2, 3, 4\}$  and  $A = \{1, 2\}$  then  $P(A) =$  \_\_\_\_\_

- a- 0      b- 1      c-  $\frac{1}{2}$       d-  $\frac{1}{4}$

34) A and B are called Mutually Exclusive events if \_\_\_\_\_

- a-  $A \cap B = S$       b-  $A \cap B = \emptyset$       c-  $A \cup B = S$       d-  $A = B$

35)  $P(A)$  lies between \_\_\_\_\_ where  $A \subseteq S$ .

- a- 0 and 1      b- 0 and 2      c- 1 and 2      d- 0 and 10

36)  $P(\bar{A}) =$  \_\_\_\_\_

- a-  $P(A)$       b-  $P(S)$       c-  $P(A-S)$       d-  $1 - P(A)$

37)  $P(A) =$  \_\_\_\_\_ where  $A = \emptyset$

- a- 0      b- 1      c-  $\frac{1}{2}$       d-  $\frac{1}{4}$

38) Probability of Sure event is \_\_\_\_\_

- a- 0      b- 1      c-  $\frac{1}{2}$       d-  $\frac{1}{4}$

39) Probability of impossible event is \_\_\_\_\_

- a- 0      b- 1      c-  $\frac{1}{2}$       d-  $\frac{1}{4}$

40) \_\_\_\_\_ events have Probabilities.

- a- Dependent      b- Independent      c- Equally likely      d- Mutually exhaustive.

41)  $P(A \cup B) =$  \_\_\_\_\_ where A and B are overlapping.

- a-  $P(A)$       b-  $P(B)$       c-  $P(A) + P(B)$       d-  $P(A) + P(B) - P(A \cap B)$

42) If A and B are mutually exclusive then  $P(A \cup B) =$  \_\_\_\_\_

- a-  $P(A) + P(B)$       b-  $P(A) + P(B) + P(A \cap B)$       c-  $P(A) + P(B) - P(A \cap B)$       d-  $P(A \cap B)$

43)  $P(A \cap B) =$  \_\_\_\_\_ where A, B are independent events.

- a-  $P(A \cup B)$       b-  $P(A) + P(B)$       c-  $P(A) \cdot P(B)$       d-  $P(A) - P(B)$

44) Probability of Sample Space is always \_\_\_\_\_

- a- 0      b- 1      c-  $\frac{1}{2}$       d-  $\infty$

- 45) If  $P(A) = 0$  then A is called \_\_\_\_\_ event.  
 a - Sure  b - Impossible c - Fair d - Equally Likely
- 46) If  $P(E) = 1$  then E is called \_\_\_\_\_ event.  
 a - Sure b - Impossible  c - Fair d - Equally Likely
- 47) If A and B are \_\_\_\_\_ then  $P(A \cap B) = P(A) \cdot P(B)$   
 a - Dependent  b - Independent c - Sure d - Impossible
- 48)  $\frac{n!}{(n-2)!} =$  \_\_\_\_\_ a - n b - n-1  c -  $n(n-1)$  d - None
- 49)  $\frac{(n+1)!}{(n-1)!} =$  \_\_\_\_\_ a - n b - n+1 c -  $n(n-1)$   d -  $n(n+1)$
- 50) Probability of occurring 6 when dot is rolled is \_\_\_\_\_.  
 a - 0  b -  $\frac{1}{6}$  c -  $\frac{1}{3}$  d - 1

### Chapter: 8

- 1)  $3+6+9+\dots+3n =$  \_\_\_\_\_  
 a -  $9n$  b -  $\frac{n(n+1)}{2}$   c -  $\frac{3n(n+1)}{2}$  d -  $\frac{3n+1}{3}$
- 2) \_\_\_\_\_ is an integer  $\forall n \in \mathbb{N}$ .  
 a -  $\frac{n^2+2n}{2}$   b -  $\frac{n^3+2n}{3}$  c -  $\frac{2n+1}{2}$  d -  $\frac{n+1}{3}$
- 3) There is no integer for which \_\_\_\_\_ is even.  
 a -  $2^n$   b -  $3^n$  c -  $4^n$  d -  $5^n$
- 4)  $4^n > 3^n + 4$  is true for \_\_\_\_\_.  
 a -  $n < 1$   b -  $n \geq 2$  c -  $n \geq 1$  d -  $n \leq 1$
- 5)  $n^2 + n$  is divisible by \_\_\_\_\_.  
 a - 2  b - 3 c - 5 d - 7
- 6)  $5^n - 2^n$  is divisible by \_\_\_\_\_.  
 a - 2  b - 3 c - 4 d - 6
- 7)  $n! > 2^n - 1$  for \_\_\_\_\_.  
 a -  $n \geq 3$  b -  $n \geq 2$  c -  $n < 4$   d -  $n \geq 4$
- 8)  $n! > n^2$  for \_\_\_\_\_.  
 a -  $n \geq 2$  b -  $n \geq 3$  c -  $n < 3$   d -  $n \geq 4$
- 9)  $3^n < n!$  for \_\_\_\_\_.  
 a -  $n > 1$  b -  $n > 3$  c -  $n \geq 5$   d -  $n \geq 6$
- 10) Index of  $(a+b)^n$  is \_\_\_\_\_.  
 a - n  b - n+1 c - a d - b