

Chapter: 3

- 1) If  $A$  has  $m$  rows and  $n$  columns, then order of  $A$  is \_\_\_\_\_.
- a-  $m \times m$     b-  $n \times n$     c-  $m \times n$     d-  $n \times m$
- 2)  $A$  is square matrix if \_\_\_\_\_.
- a-  $m=1$     b-  $n=1$     c-  $m \neq n$     d-  $m=n$
- 3)  $A = [a_{ij}]_n$  is diagonal if \_\_\_\_\_ for  $i \neq j$ .
- a-  $a_{ij} = 1$     b-  $a_{ij} = 0$     c-  $a_{ij} = k$     d-  $a_{ij} \neq 0$
- 4)  $\begin{bmatrix} 7 & 0 \\ 0 & 7 \end{bmatrix}$  is \_\_\_\_\_ matrix.
- a- Identity    b- Unit    c- Scalar    d- Zero.
- 5)  $A = [a_{ij}]_n$  is identity matrix if \_\_\_\_\_  $i=j$ .
- a-  $a_{ij} = 0$     b-  $a_{ij} = k$     c-  $a_{ij} = 1$     d-  $a_{ij} \neq 0$
- 6) If  $A$  has order  $m \times n$  then  $A^t$  has order \_\_\_\_\_.
- a-  $n \times m$     b-  $n \times n$     c-  $m \times n$     d-  $m \times m$
- 7) If  $A = [a_{ij}]$  then \_\_\_\_\_ =  $[a_{ji}]$ .
- a-  $A$     b-  $A^{-1}$     c-  $A^t$     d-  $\bar{A}$
- 8)  $(A+B)^t =$  \_\_\_\_\_.
- a-  $A+B$     b-  $A^t+B$     c-  $A+B^t$     d-  $A^t+B^t$
- 9)  $(AB)^t =$  \_\_\_\_\_.
- a-  $A^t B$     b-  $AB^t$     c-  $A^t B^t$     d-  $B^t A^t$
- 10) If  $A = \begin{bmatrix} a & b \\ c & d \end{bmatrix}$  then  $\text{Adj } A =$  \_\_\_\_\_.
- a-  $\begin{bmatrix} a & b \\ d & c \end{bmatrix}$     b-  $\begin{bmatrix} d & b \\ c & a \end{bmatrix}$     c-  $\begin{bmatrix} d & -b \\ -c & a \end{bmatrix}$     d-  $\begin{bmatrix} d & c \\ b & a \end{bmatrix}$
- 11) If order of  $A = m \times n$  and order of  $B = p \times q$  then order of  $AB =$  \_\_\_\_\_.
- a-  $m \times n$     b-  $p \times q$     c-  $m \times p$     d-  $m \times q$
- 12) If  $A = [3]$  then  $\det A =$  \_\_\_\_\_.
- a- 3    b- 9    c- 0    d- 6
- 13) For  $A$  being non-singular,  $AA^{-1} = A^{-1}A =$  \_\_\_\_\_.
- a- 0    b-  $I$     c-  $A$     d-  $A^t$
- 14) If  $|A| = 0$  then  $A$  is \_\_\_\_\_.
- a- Symmetric    b- Skew Symmetric    c- Singular    d- Non Singular.
- 15) For any matrix,  $(A^t)^t =$  \_\_\_\_\_.
- a-  $A$     b-  $A^t$     c-  $A^{-1}$     d-  $A^t$
- 16) If  $|A| \neq 0$  then  $A$  is \_\_\_\_\_.
- a- Singular    b- Non Singular    c- Symmetric    d- Zero.

17) If  $AX = B$  then  $X = \underline{\hspace{2cm}}$  For  $A$  being non-Singular.

- a-  $AB$       ✓ b-  $A^{-1}B$       c-  $AB^{-1}$       d-  $BA^{-1}$

18)                      Law does not hold in matrix multiplication.

- a- Closure      ✓ b- Commutative      c- Associative      d- Distributive

19)  $AA^t$  and  $A^tA$  are                      matrices.

- ✓ a- Symmetric      b- Hermitian      c- Diagonal      d- Triangular

20)  $A = [a_{ij}]$  is upper triangular if                     .

- a-  $a_{ij} = 0, i = j$       b-  $a_{ij} = 0, i < j$       ✓ c-  $a_{ij} = 0, i > j$       d-  $a_{ij} = 0, i \neq j$

21)  $A = [a_{ij}]$  is                      if  $a_{ij} = 0$  for  $i < j$ .

- a- Upper triangular      ✓ b- Lower triangular      c- Symmetric      d- Diagonal

22)  $(A+B)^2 = A^2 + 2AB + B^2$  if                     .

- a-  $AB \neq BA$       b-  $AB = -BA$       ✓ c-  $AB = BA$       d-  $A = B^t$

23) For any matrix  $(A + A^t)^t = \underline{\hspace{2cm}}$ .

- a-  $A$       b-  $A^t$       ✓ c-  $A + A^t$       d-  $A + Att$

24) For  $A, B$  non-Singular matrices,  $(AB)^{-1} = \underline{\hspace{2cm}}$ .

- a-  $AB$       b-  $AB^{-1}$       c-  $A^{-1}B^{-1}$       ✓ d-  $B^{-1}A^{-1}$

25) For a non Singular matrix,  $(A^{-1})^{-1} = \underline{\hspace{2cm}}$ .

- ✓ a-  $A$       b-  $A^t$       c-  $A^{-1}$       d-  $(A^t)^{-1}$

26) Cofactor of an element  $a_{ij}$  denoted by  $A_{ij} = \underline{\hspace{2cm}}$ .

- a-  $(-1)^{ij} M_{ij}$       b-  $(-1)^{2ij} M_{ji}$       ✓ c-  $(-1)^{2ij} M_{ij}$       d-  $(-1)^{ji} M_{ji}$

27) For any Square matrix,  $|A| = \underline{\hspace{2cm}}$ .

- a-  $|-A|$       ✓ b-  $|A^t|$       c-  $|A^{-1}|$       d-  $|\bar{A}|$

28) If  $A_{3 \times 3}$  then  $|KA| = \underline{\hspace{2cm}} |A|$ .

- a-  $K$       b-  $K^2$       ✓ c-  $K^3$       d-  $K^9$

29)  $|A| = \underline{\hspace{2cm}}$  if two rows or columns are identical.

- a- 1      ✓ b- 0      c- -1      d- 10

30)  $\det I = \underline{\hspace{2cm}}$ . a- 0      ✓ b- 1      c- -1      d- 2

31)  $\begin{vmatrix} 1 & 2 & 3x \\ 2 & 3 & 6x \\ 3 & 5 & 9x \end{vmatrix} = \underline{\hspace{2cm}}$  a-  $3x$       b- 3      ✓ c- 0      d- 1

32) If the matrix  $A = \begin{bmatrix} 2 & 3 \\ 4 & K \end{bmatrix}$  is singular then  $K = \underline{\hspace{2cm}}$ .

- a- 0      b- 12      c- -12      ✓ d- -6

33) Additive inverse of  $A$  is                     . a-  $A$       b-  $A^{-1}$       c-  $\frac{A}{2}$       ✓ d-  $-A$

34) If  $A$  is Symmetric then                     .

- a-  $A^t = -A$       ✓ b-  $A^t = A$       c-  $\bar{A} = A$       d-  $\bar{A}^t = A$

35- Order of  $[1 \ 2]$  is                     . a-  $1 \times 1$       ✓ b-  $1 \times 2$       c-  $2 \times 2$       d-  $2 \times 1$

- 36) A square matrix  $A$  is Hermitian over  $\mathbb{C}$  if \_\_\_\_\_.
- a-  $A^t = A$       b-  $A^t = -A$       c-  $\bar{A}^t = A^t$        d-  $\bar{A}^t = A$
- 37)  $A$  is skew symmetric if  $A^t =$  \_\_\_\_\_.
- a-  $A$        b-  $-A$       c-  $\bar{A}$       d-  $\bar{A}^t$
- 38) Identity matrix is always \_\_\_\_\_ matrix.
- a- Square      b- Rectangular      c- Row      d- Column
- 39) Matrix with one row is called \_\_\_\_\_ matrix.
- a- Square      b- Rectangular       c- Row      d- Column
- 40) Matrix of one column is called \_\_\_\_\_ matrix.
- a- Square      b- Rectangular      c- Row       d- Column.
- 41) If  $A = \begin{bmatrix} 1 & -2 & 3 \\ -2 & 3 & 1 \\ 4 & -3 & 2 \end{bmatrix}$  then  $A_{33} =$  \_\_\_\_\_
- a-  $-1$       b-  $1$       c-  $7$       d-  $-7$
- 42) A homogeneous Linear Equation has \_\_\_\_\_ solution/solutions.
- a- Unique      b- Two      c- Three       d- Infinite
- 43) For a square matrix  $A$ ,  $(A^{-1})^t =$  \_\_\_\_\_.
- a-  $A$       b-  $A^{-1}$       c-  $A^t$        d-  $(A^t)^{-1}$
- 44) \_\_\_\_\_ matrices are both upper and lower triangular matrices.
- a- Square      b- Symmetric      c- Hermitian       d- Diagonal.
- 45)  $ax + by = k$  is homogeneous if \_\_\_\_\_.
- a-  $k = 0$       b-  $k \neq 0$       c-  $a = 0$       d-  $b = 0$
- 46) Solution  $(0, 0, 0)$  for a system of Eq of  $3 \times 3$  is \_\_\_\_\_ solution.
- a- Unique      b- Distinct       c- Trivial      d- Non trivial
- 47) \_\_\_\_\_ =  $\frac{\text{Adj } A}{|A|}$  for  $|A| \neq 0$ .
- a-  $A^t$       b-  $\frac{1}{|A|} A$        c-  $A^{-1}$       d-  $\bar{A}$
- 48) System  $Ax = b$  has nontrivial solution if \_\_\_\_\_.
- a-  $|A| = 0$       b-  $|A| \neq 0$       c-  $|A^t| \neq 0$       d-  $|\bar{A}| \neq 0$
- 49) Sum of two symmetric matrices is \_\_\_\_\_.
- a- Symmetric      b- Hermitian      c- Diagonal      d- Skew Symmetric.
- 50) Inconsistent system has \_\_\_\_\_ solution.
- a- No      b- One      c- Two      d- Infinite.
- 51)  $A - A^t$  is \_\_\_\_\_ matrix
- a- Symmetric       b- Skew Symmetric      c- Diagonal      d- Hermitian.
- 52)  $\bar{\bar{A}} =$  \_\_\_\_\_ over  $\mathbb{C}$ .
- a-  $A$       b-  $\bar{A}$       c-  $A^t$       d-  $\bar{A}^t$