

## Chapter: 2

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i) Set is described in \_\_\_\_\_ ways.

a- 1      b- 2      c- 3      d- 4

ii) No. of elements in a set is \_\_\_\_\_.

a- Order      b- Inverse      c- Element      d- Power.

3) If  $A = \{\}$  then  $P(A) =$  \_\_\_\_\_.

a-  $\emptyset$       b-  $\{\}$       c-  $\{\emptyset\}$       d-  $\{\{\}, \emptyset\}$

4) Set with no element is called \_\_\_\_\_ set.

a- Empty      b- Singleton      c- infinite      d- Equal.

5) Elements in  $P(A)$  are \_\_\_\_\_ if  $A = \{a, b, c\}$

a- 3      b- 2      c- 4      d- 8

6) No. of subsets of a set with  $n^2$  elements is \_\_\_\_\_.

a-  $2^n$       b-  $2n^2$       c-  $n^2$       d-  $2^{n^2}$

7) \_\_\_\_\_ =  $(A \cup B) \cap (A \cup C)$ .

a-  $(A \cup B) \cap C$       b-  $A \cap (B \cup C)$       c-  $A \cup (B \cap C)$       d-  $A \cap (B \cup C)$ .

8)  $(A \cup B)' =$  \_\_\_\_\_.

a-  $A \cup B$       b-  $A \cap B$       c-  $A' \cup B'$       d-  $A' \cap B'$

9) If  $A \subseteq B$  then  $A \cup B =$  \_\_\_\_\_.

a-  $A$       b-  $A'$       c-  $B$       d-  $B'$

10) If  $A \subseteq U$  then  $A' =$  \_\_\_\_\_.

a-  $\emptyset$       b-  $U$       c-  $U - A$       d-  $A$ .

11) \_\_\_\_\_ =  $\{x \mid x \in A \wedge x \notin B\}$ .

a-  $A - B$       b-  $B - A$       c-  $A \cap B$       d-  $B \cap A^c$

12) Set of real numbers between 0 and 1 is \_\_\_\_\_ set.

a- Empty      b- Finite      c- Infinite      d- Singleton

13) Order of  $\{1, 2, 3\}$  is \_\_\_\_\_.

a- 3      b-  $2^3$       c- 8      d- 2

14) For  $A \subseteq U$ ,  $A \cap A' =$  \_\_\_\_\_.

a-  $U$       b-  $\emptyset$       c-  $A$       d-  $A'$

15)  $A \cup B =$  \_\_\_\_\_ a-  $A$       b-  $B$       c-  $B \cup A$       d-  $\emptyset$

16) \_\_\_\_\_ set has no proper subset.

a- Empty      b- Singleton      c- Finite      d- Infinite.

17) Tabular form of  $\{x \mid x \in \mathbb{Q} \wedge x^2 = \sqrt{2}\}$  is \_\_\_\_\_.

a-  $\{-\sqrt{2}, \sqrt{2}\}$       b-  $\{-\sqrt{2} < x < \sqrt{2}\}$       c-  $\emptyset$       d-  $\{-\sqrt{2} > x > \sqrt{2}\}$

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- 18)  $n(A \cup B) = n(A) + n(B)$  if \_\_\_\_\_  
 a-  $A=B$       b-  $A \cap B = A$       c-  $A \cap B = B$       d-  $A \cap B = \emptyset$
- 19) For any two Set  $A, B$ ,  $A - B =$  \_\_\_\_\_  
 a-  $A \cap B$       b-  $A \cup B$       c-  $A \cap B'$       d-  $A \cup B'$
- 20) \_\_\_\_\_ =  $\{x | x \in A \text{ or } x \in B\}$   
 a-  $A \cap B$       b-  $A - B$       c-  $A \cap B'$       d-  $A \cup B$
- 21) \_\_\_\_\_ =  $\{x | x \in A \text{ and } x \in B\}$   
 a-  $A \cup B$       b-  $A \cap B$       c-  $A - B$       d-  $A \cap B'$
- 22) For any Set  $A \subseteq U$ ,  $(A^c)^c =$  \_\_\_\_\_  
 a-  $A$       b-  $A^c$       c-  $A^{c^2}$       d-  $A^{2c}$
- 23) If  $A \subseteq B$  then  $n(A - B) =$  \_\_\_\_\_  
 a-  $\emptyset$       b-  $0$       c-  $1$       d-  $n(B) - n(A)$
- 24)  $A \cup (B \cap C) =$  \_\_\_\_\_  
 a-  $(A \cup B) \cap (A \cup C)$       b-  $(A \cap B) \cup (A \cap C)$       c-  $A^c \cap B^c$       d-  $A^c \cup B^c$
- 25)  $P \vee Q$  denotes \_\_\_\_\_ of  $p$  and  $q$ .  
 a- Conjunction      b- Disjunction      c- Interjunction      d- Negation
- 26)  $P \wedge Q$  denotes \_\_\_\_\_ of  $p$  and  $q$ .  
 a- Conjunction      b- Disjunction      c- Negation      d- Interjunction.
- 27) Converse of  $P \rightarrow Q$  is \_\_\_\_\_  
 a-  $\sim P \rightarrow \sim Q$       b-  $\sim P \rightarrow Q$       c-  $Q \rightarrow P$       d-  $\sim Q \rightarrow P$
- 28) Inverse of  $P \rightarrow Q$  is \_\_\_\_\_  
 a-  $\sim P \rightarrow Q$       b-  $\sim P \rightarrow \sim Q$       c-  $Q \rightarrow P$       d-  $P \rightarrow \sim Q$
- 29) Contrapositive of  $P \rightarrow Q$  is \_\_\_\_\_  
 a-  $\sim P \rightarrow \sim Q$       b-  $\sim Q \rightarrow \sim P$       c-  $\sim Q \rightarrow \sim Q$       d-  $\sim Q \rightarrow P$
- 30) A Statement true for all variables is called \_\_\_\_\_  
 a- Conjunction      b- Tautology      c- Disjunction      d- Interjunction.
- 31) Universal Quantifier is \_\_\_\_\_  
 a-  $\exists$       b-  $\in$       c-  $\ni$       d-  $\forall$
- 32) Existential Quantifier is \_\_\_\_\_  
 a-  $\forall$       b-  $\exists$       c-  $\in$       d-  $\ni$
- 33) A Subset of  $A \times B$  is \_\_\_\_\_  
 a- Relation on  $A$       b- Relation on  $B$       c- Relation from  $A$  to  $B$       d- Relation from  $B$  to  $A$

34) If  $A = \{1, 2, 3\}$  then  $n(A \times A) =$  \_\_\_\_\_

a- 8                      b- 3                      c- 9                      d- 6

35) A function  $f: A \rightarrow B$  is called into function if \_\_\_\_\_

a-  $\text{Ran}f = A$       b-  $\text{Ran}f \subset A$       c-  $\text{Ran}f \subset B$       d-  $\text{Ran}f = B$

36) A function  $f: A \rightarrow B$  is onto if \_\_\_\_\_

a-  $\text{Ran}f \subset A$       b-  $\text{Ran}f = A$       c-  $\text{Ran}f \subset B$       d-  $\text{Ran}f = B$

37) A one-one and onto function is called \_\_\_\_\_ function.

a- Injective      b- Surjective      c- Bijective      d- Subjective

38)  $f = \{(1, 1), (2, 4), (3, 9)\}$  then  $f^{-1} =$  \_\_\_\_\_

a-  $\{(1, 1), (4, 2), (3, 9)\}$       b-  $\{(1, 1), (4, 2), (9, 3)\}$       c-  $\{(1, 1), (2, 4), (9, 3)\}$       d-  $\{(1, 1), (2, 4), (3, 9)\}$

39)  $f = \{(x, y) \mid y = mx + c\}$  is \_\_\_\_\_ function.

a- Quadratic      b- Linear      c- Square root      d- Inverse

40) Graph of  $\{(x, y) \mid ax^2 + bx + c = y\}$  is \_\_\_\_\_

a- Elliptic      b- Parabolic      c- Circle      d- Straight Line

41) If  $G = \{1, -1, i, -i\}$  is group under multiplication then inverse of  $i$  is \_\_\_\_\_

a- 1                      b- -1                      c- i                      d- -i

42)  $(\mathbb{Z}, \cdot)$  is not a \_\_\_\_\_

a- Groupoid      b- Semigroup      c- Monoid      d- group

43) Negation of proposition  $p$  is denoted by \_\_\_\_\_

a-  $\neg p$                       b-  $p^{-1}$                       c-  $\sim p$                       d-  $\neg(\sim p)$

44)  $(a, b) = (b, a)$  if \_\_\_\_\_

a-  $a = 0$                       b-  $b = 0$                       c-  $a = b$                       d-  $a = -b$

45)  $\sim(p \vee q) =$  \_\_\_\_\_

a-  $p \vee q$                       b-  $p \wedge q$                       c-  $\sim p \vee \sim q$                       d-  $\sim p \wedge \sim q$

46) \_\_\_\_\_  $= (p \wedge q) \vee (p \wedge r)$

a-  $p \vee (q \wedge r)$       b-  $p \wedge (q \vee r)$       c-  $p \vee (q \vee r)$       d-  $p \wedge (q \wedge r)$

47) If  $a, b \in G \Rightarrow ab = ba$  then  $G$  is \_\_\_\_\_ group.

a- Abelian                      b- Non-abelian                      c- Simple                      d- Not

48) Which set is not group under addition?

a-  $\mathbb{N}$                       b-  $\mathbb{Q}$                       c-  $\mathbb{R}$                       d-  $\mathbb{C}$

49)  $\forall a, b \in G \Rightarrow (ab)^{-1} =$  \_\_\_\_\_

a-  $ab$                       b-  $ba$                       c-  $a^{-1} b^{-1}$                       d-  $b^{-1} a^{-1}$

50) In group  $G = \{1, \omega, \omega^2\}$  for  $\omega^3 = 1$  under " $\cdot$ ", inverse of  $\omega$  is \_\_\_\_\_

a- 1                      b-  $\omega$                       c-  $\omega^2$                       d-  $\omega^3$